

# A QCD background filter based on an $E_T^{\text{miss}}$ estimator

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ATLAS-D, Heidelberg 22.09.06

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# Motivation

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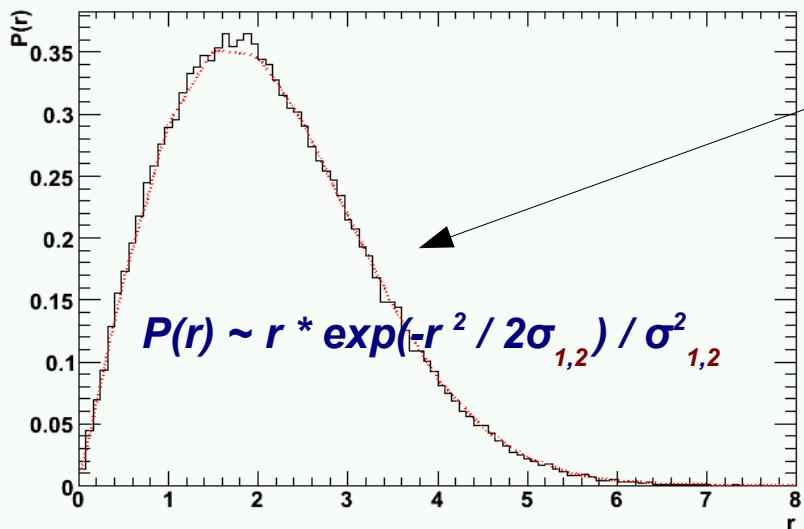
- $E_T^{\text{miss}}$  is a key observable of R-parity conserving SUSY
- QCD contributes to  $E_T^{\text{miss}}$  in two ways:
  - Real: semileptonic decay of b,c quarks
  - Fake: instrumental → host of different causes
- QCD has a huge cross section → difficult to study rare events
  - Require a filtering mechanism at generator level
- Real  $E_T^{\text{miss}}$  is easy to handle: → Select events with high- $p_T$  ν
- Fake  $E_T^{\text{miss}}$  is much harder to predict!
  - Find method to estimate  $\langle \text{Fake } E_T^{\text{miss}} \rangle$  at generator level

# Fake $E_T^{\text{miss}}$ estimation (I)

- Assume dijet pair is back-to-back in  $\phi$
- Consider  $\Delta p_{(1,2)} = p_{\text{meas}}(1,2) - p_{\text{true}}(1,2)$
- Define  $\text{Fake } E_T^{\text{miss}} = \Delta p_T(1,2) = \sqrt{(\Delta p_x^2(1,2) + \Delta p_y^2(1,2))}$
- Assume gaussian spread of  $p_{\text{meas}}$  about  $p_{\text{true}}$ :

$$\Delta p_x = \Delta p_x(1) + \Delta p_x(2)$$

*Independent gaussians with mean 0, spread  $\sigma_1$  and  $\sigma_2$*



Shape of  $\Delta p_T(1,2)$  known analytically

→ Mean value :

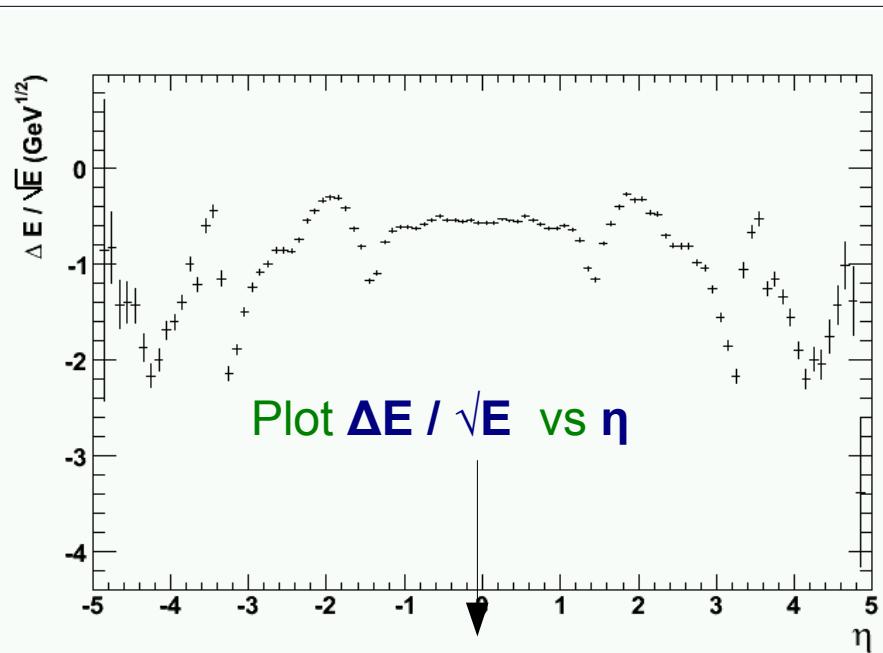
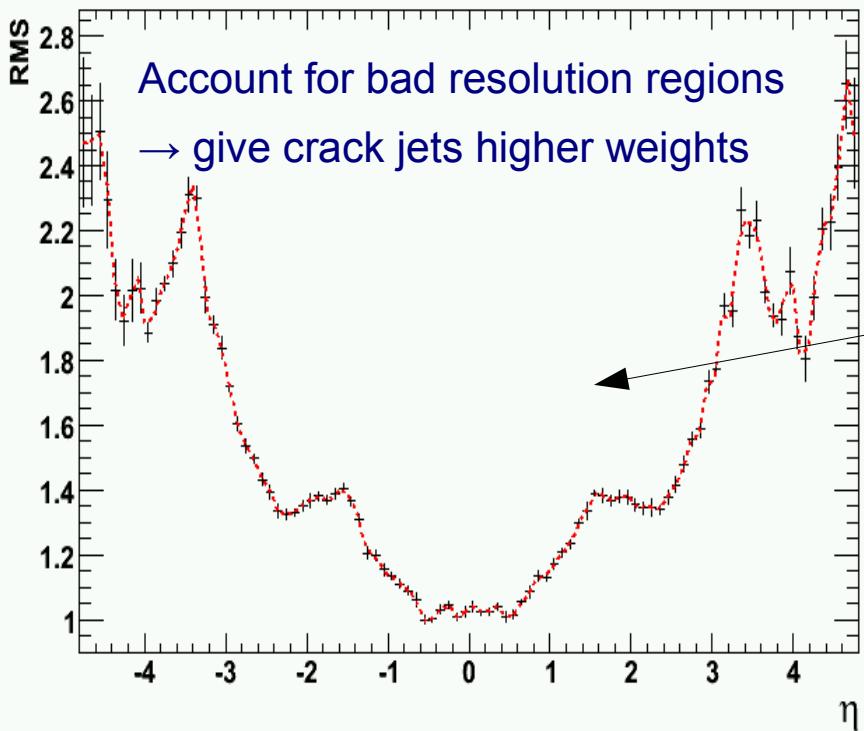
$$\langle \text{Fake } E_T^{\text{miss}} \rangle = \sigma_{1,2} * \sqrt{(\pi / 2)}$$

Method easily extendable to N-jet events:

$$\langle \text{Fake } E_T^{\text{miss}} \rangle = \sigma_N * \sqrt{2 \Gamma((N+1)/2) / \Gamma(N/2)}$$

# Fake $E_T^{\text{miss}}$ estimation (II)

Find  $\sigma(\eta, E_{\text{jet}})$  from  
Rome Jn dijet samples  
(+ private samples, court. M.Heldmann)



Extract RMS from each  $\eta$ -bin

→ Fit distribution with a spline

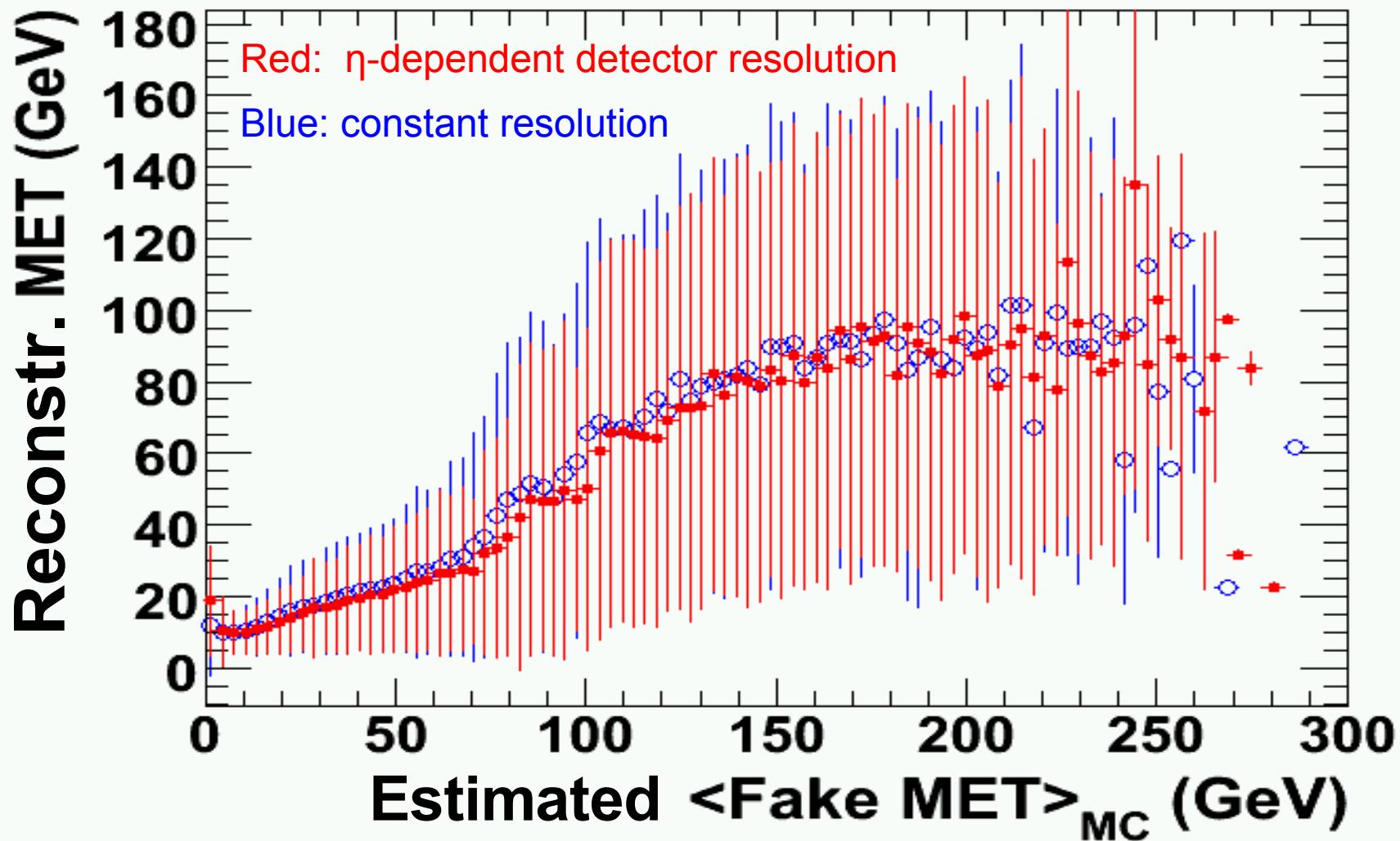
**one jet:**

$$\sigma(\text{jet } i) = \text{RMS}(\eta) * \sqrt{E} * \sin(\theta)$$

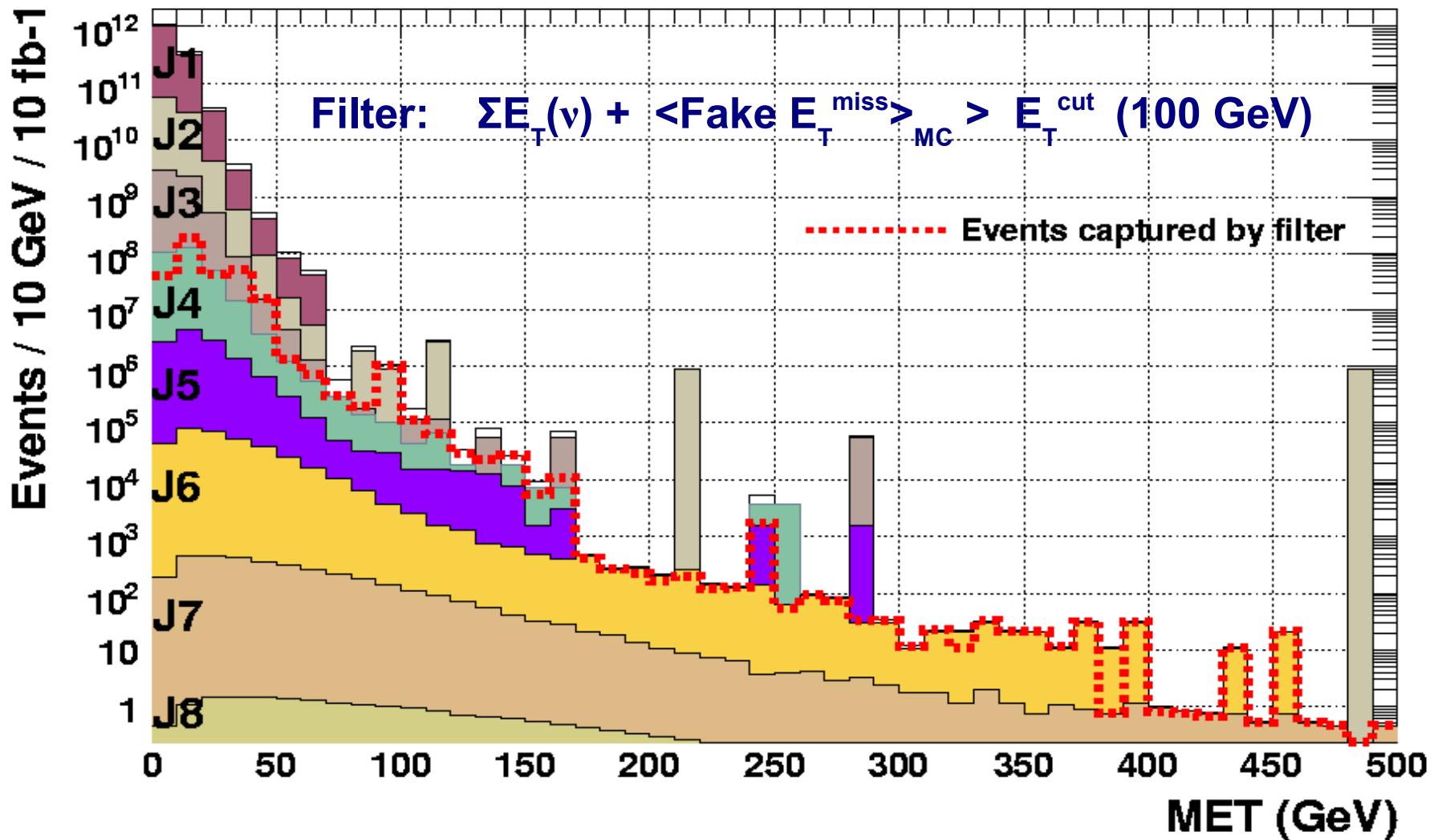
**all jets:**

$$\sigma_N = \sqrt{(\sum \sigma_i^2)}$$

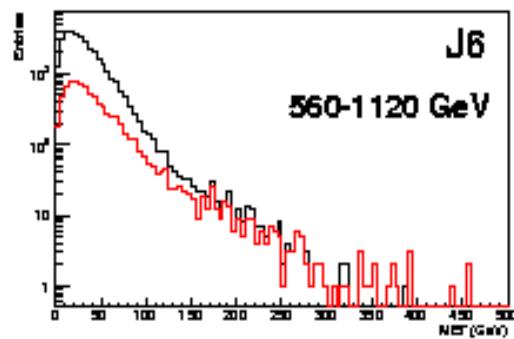
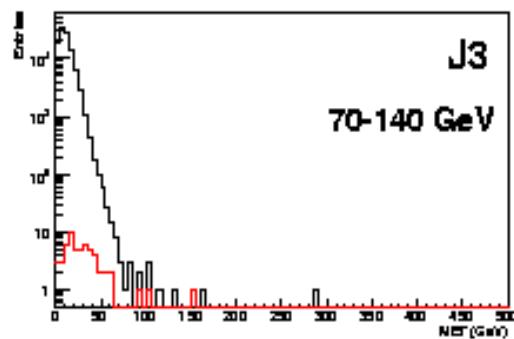
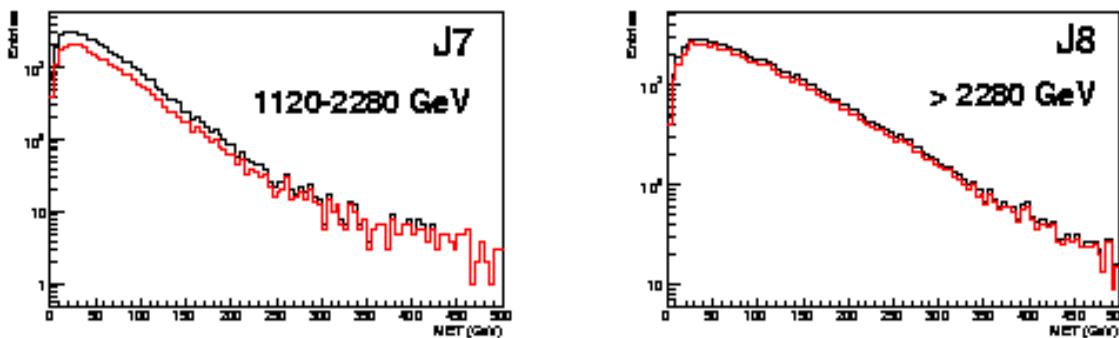
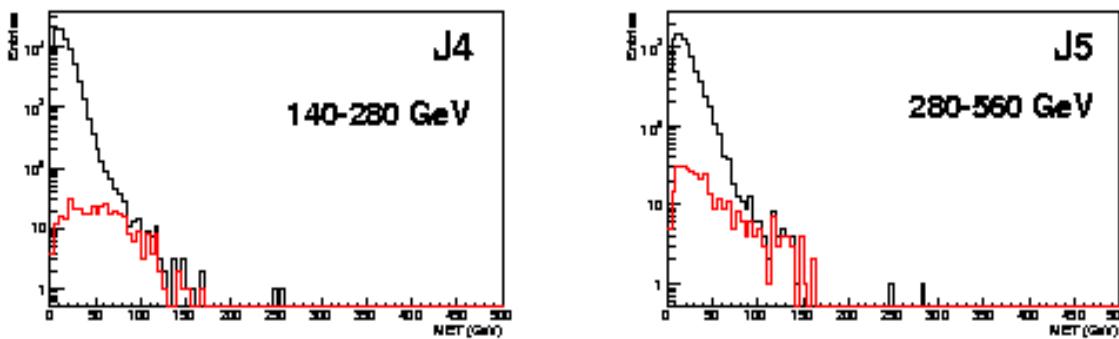
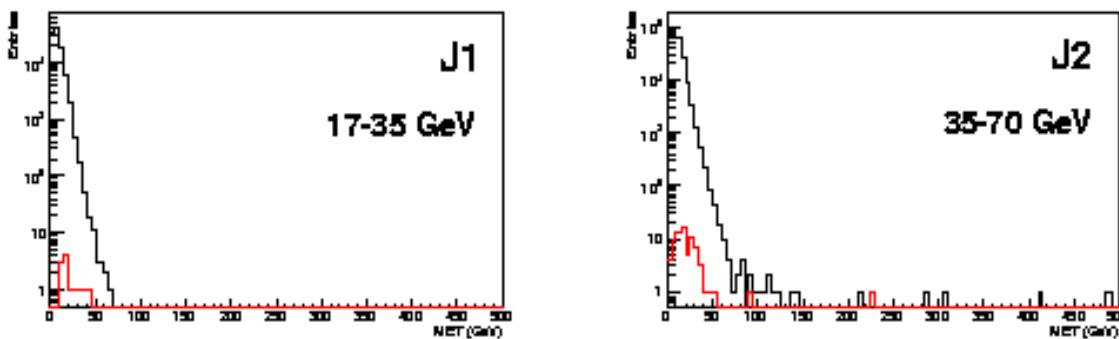
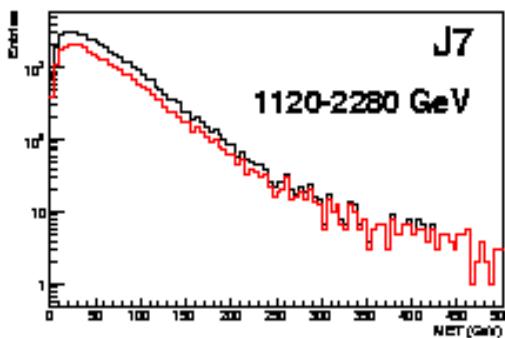
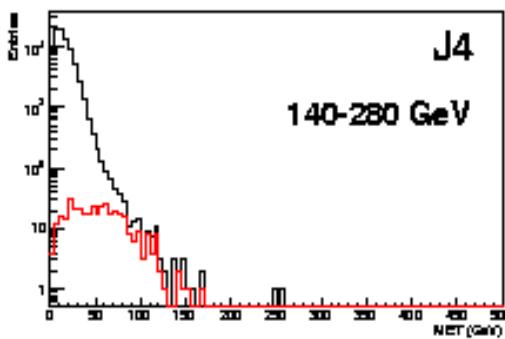
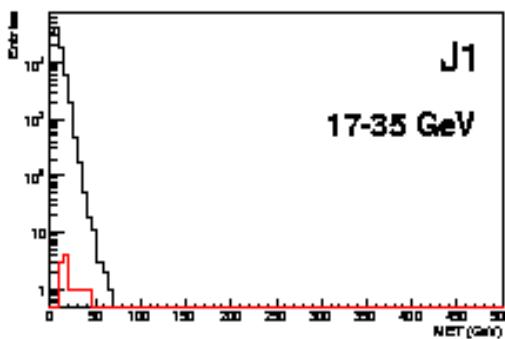
# Fake $E_T^{\text{miss}}$ estimation (III)



# Performance (csc11 Jn dijets)

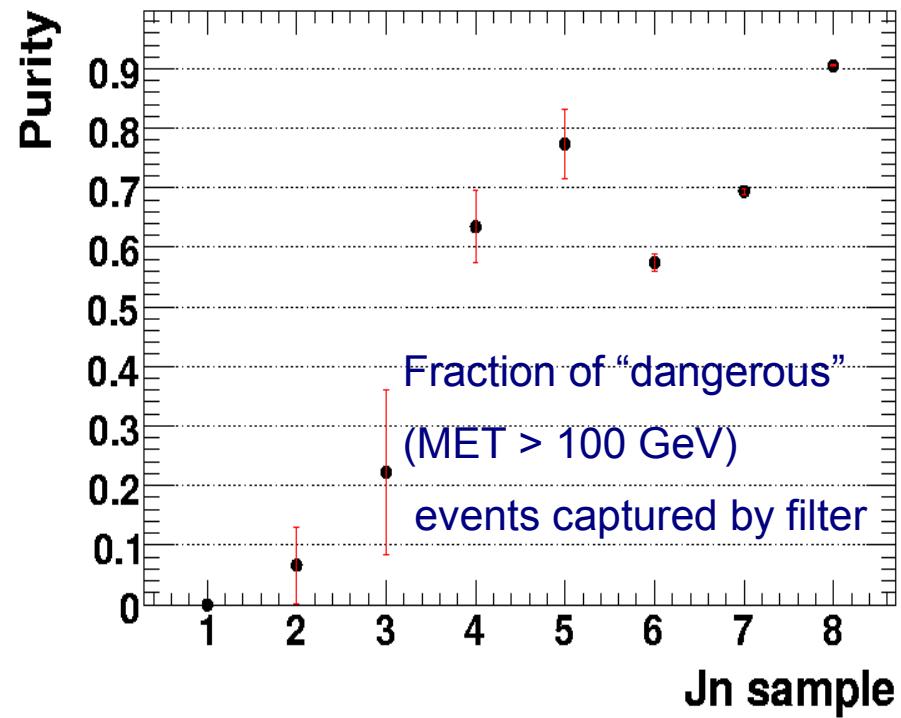
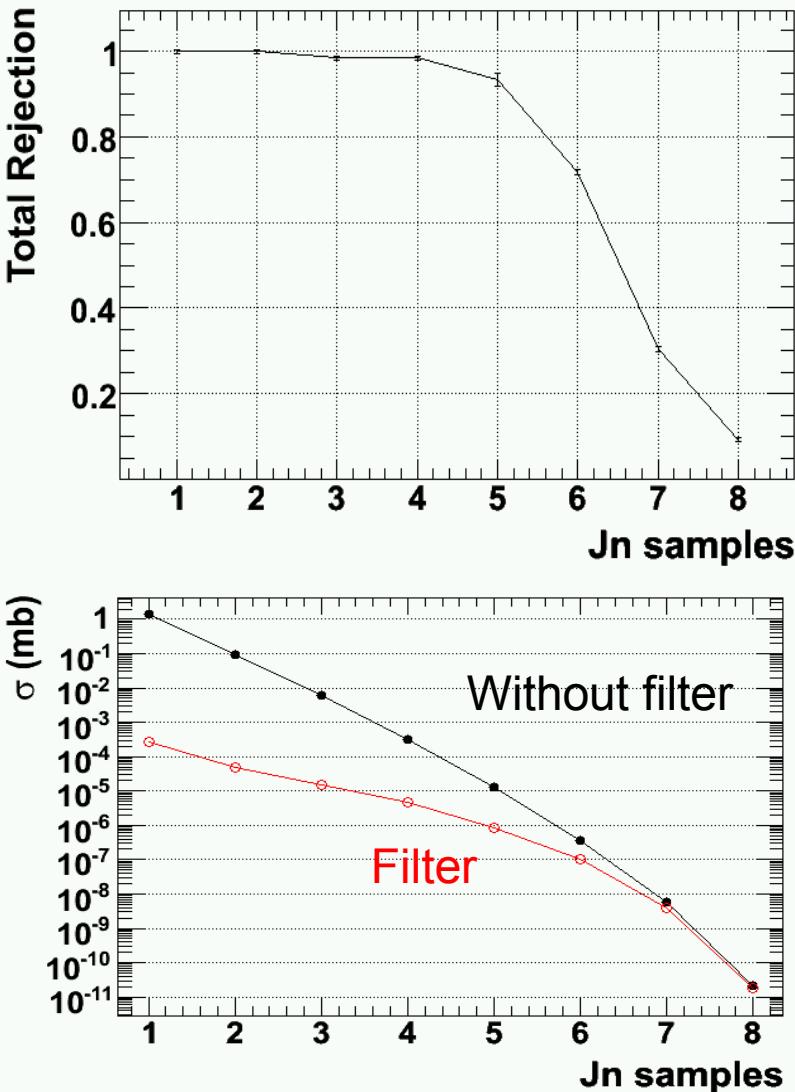


# Performance (csc11)



— UNFILTERED  
— SUBSET CAPTURED BY FILTER

# Performance (csc11)



Good overall performance

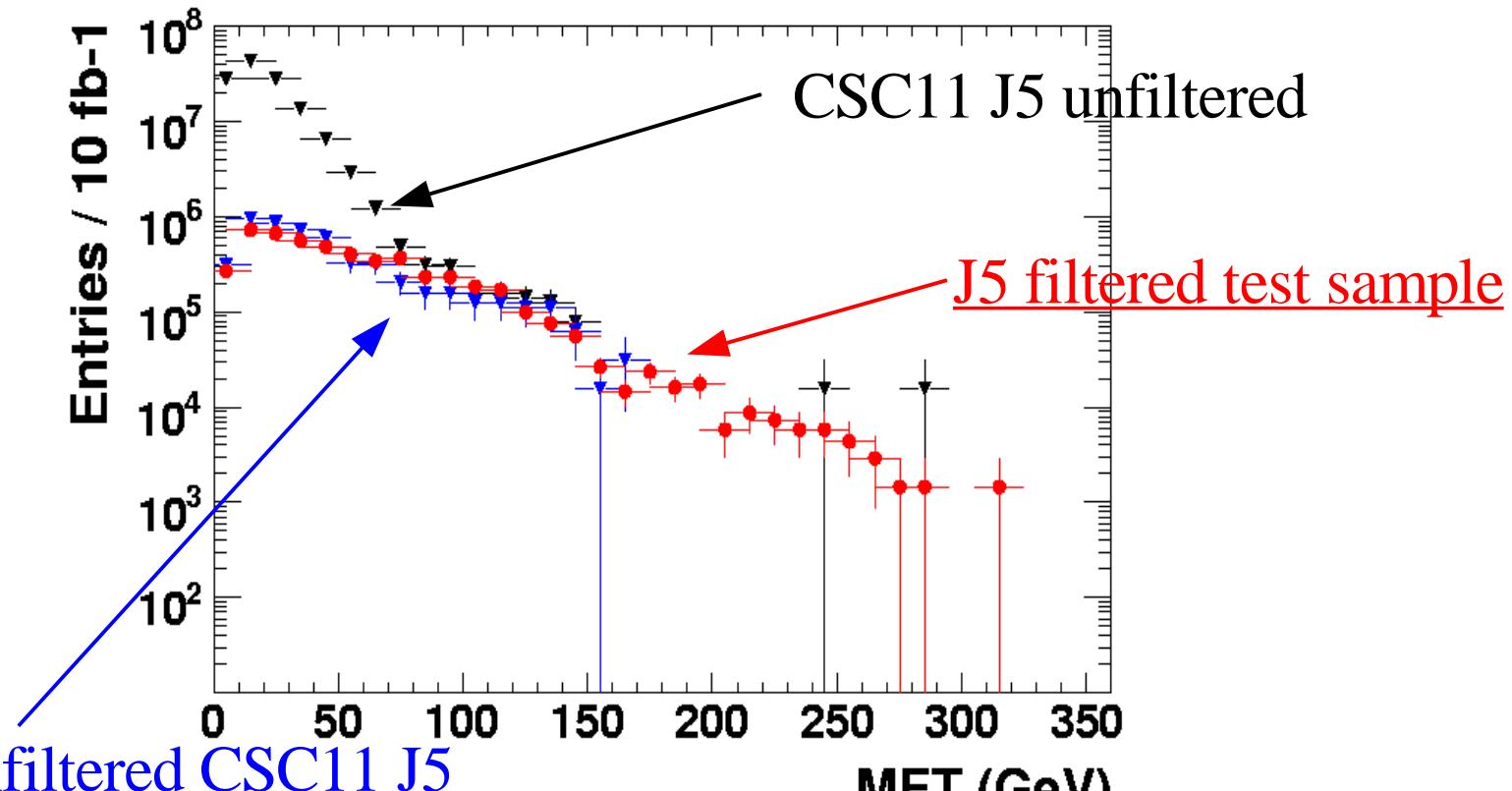
→ e.g. for J5 :

~96% reduction in # fullsim events

~80% of dangerous events captured

# Proof of Principle: J5 test sample

- Apply filter on J5 ( + “trigger-like” precuts)
  - Privately produced ~3500 filtered J5 events w/ Athena 11.0.42



Subset of unfiltered CSC11 J5  
tagged by filter

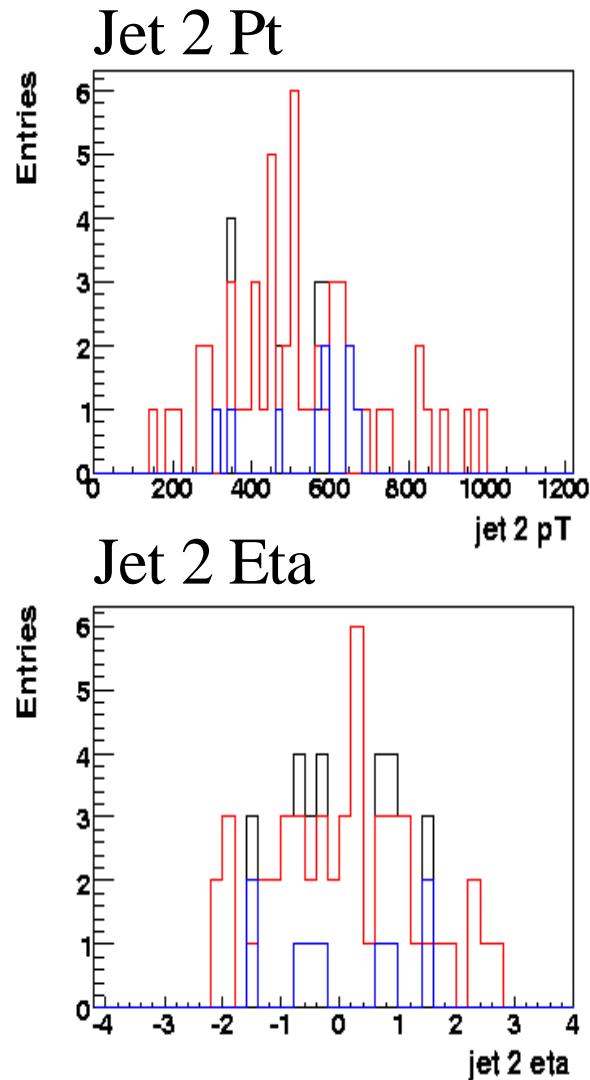
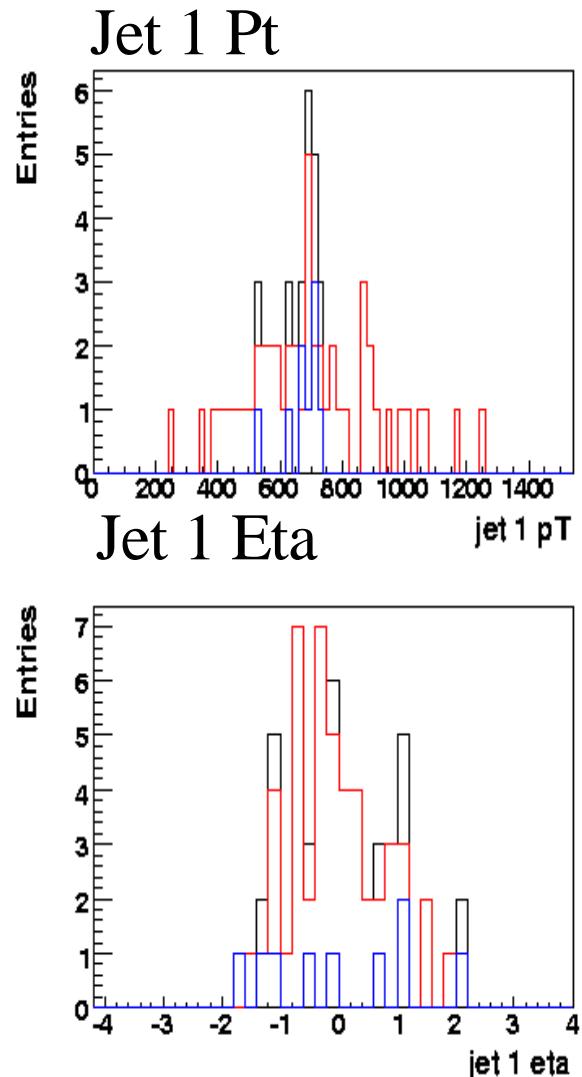
# Bias: SUSY 0-lepton mode (J6)

- $E_T^{miss} > 100 \text{ GeV}$
- $N_{jet} \geq 4$   
 $(100, 50, 50, 50 \text{ GeV})$
- $S_T > 0.2$
- *Lepton veto*

— Unfiltered

— Pass Filter

— Fail Filter



# Summary / Outlook

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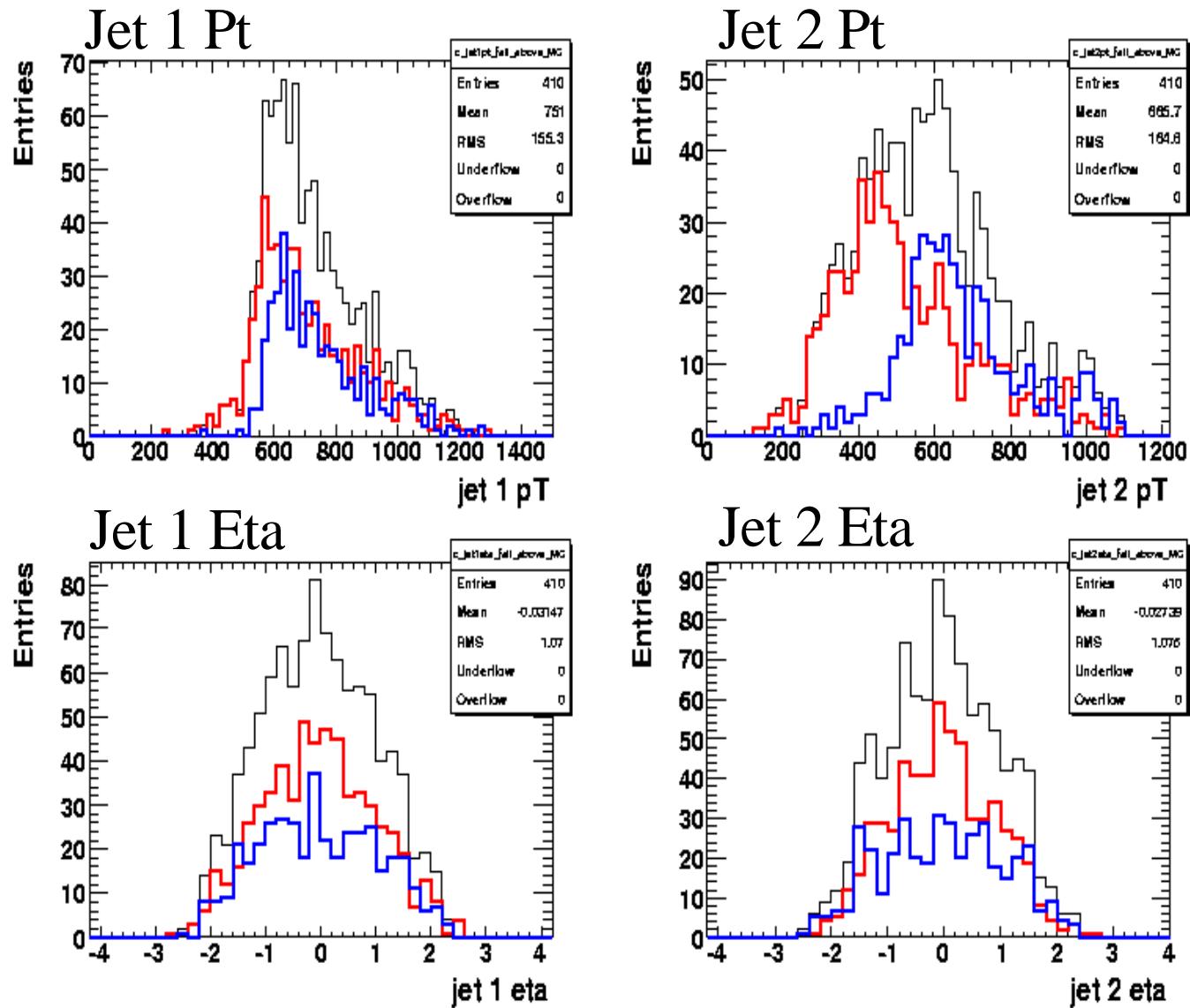
- Mismeasured jets contribute in a large way to *fake*  $E_T^{\text{miss}}$
- Constructed a *generator level* variable correlated to reconstructed MET  
→ allows for a reasonable estimation of *fake*  $E_T^{\text{miss}}$  at generator level
- Filter: Use *fake*  $E_T^{\text{miss}}$  *estimator* in combination with real  $E_T^{\text{miss}}$  to select potentially dangerous high MET events at *generator level*
- CSC11 Jn samples: Overall rejection good + good MET tail coverage
- Official production of filtered CSC12 J4, J5, J6 is underway
- A generator filter implementing this MET estimation method is available in CVS (“JetMETEstimator”) → ready for use.
- Method and filter performance will be summarized in note

# BACKUP

# Filter Bias: no precuts (MET>100 GeV)

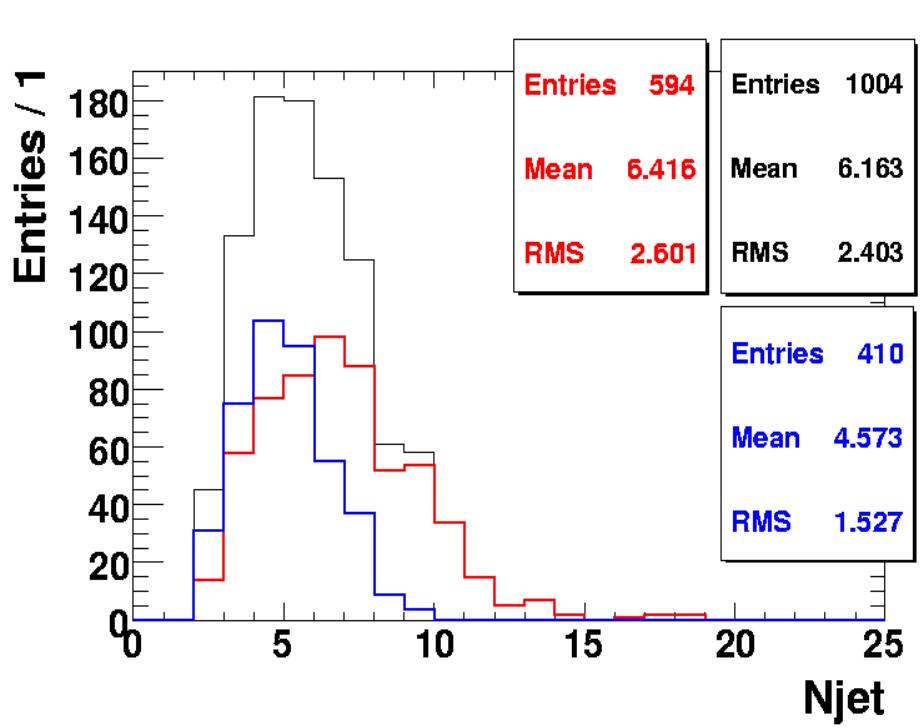
Only events with  
reconstructed  
MET > 100 GeV

- Unfiltered
- Pass Filter
- Fail Filter



# Filter Bias: Jet multiplicity

No precuts



SUSY 0-lepton mode

